

## Step 2

■ Starting from  $P_0$ , Calculate the area of the trapezoid which is generated between  $P_i$ ,  $P_{i+1}$  and the X axis. Assume  $P_i=(X_i,Y_i)$  and  $P_{i+1}=(X_{i+1},Y_{i+1})$ 

$$V = \frac{1}{2} \cdot \left( X_{i+1} - X_i \right) \cdot \left( Y_{i+1} + Y_i \right)$$

■ Add this area to the total volume sum.

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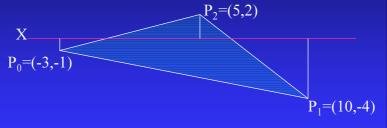
■ Repeat Step 2 for each 2 consecutive points in the polygon.

- At the end of the process, the area will be calculated (up to the sign).
- Note the this algorithm works for all pairs (two positive, two negative and even one positive and one negative)!

Computer Graphics

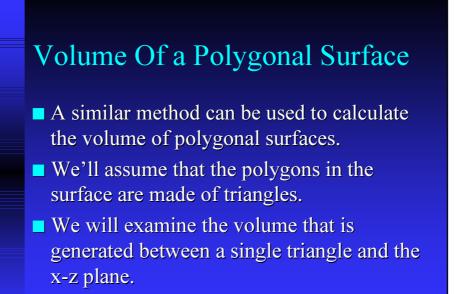
## Example

■ Let's calculate the area of a triangle.

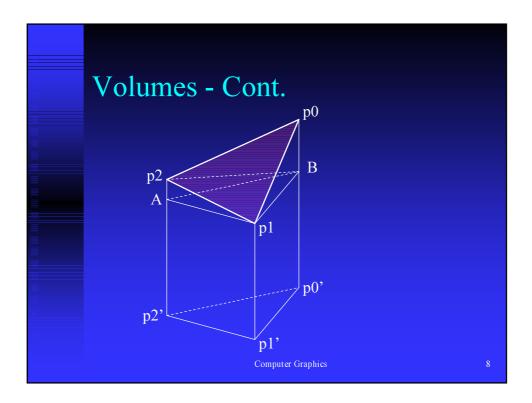


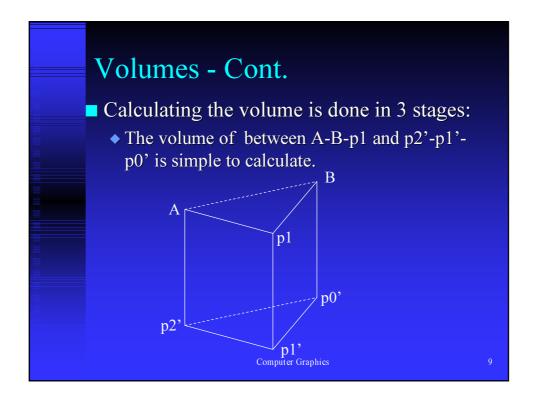
V = (x1-x0)(y1+y0)/2+(x2-x1)(y2+y1)/2+(x0-x2)(y0+y2)/2= |(10+3)(-4-1)/2 + (5-10)(2-4)/2 + (-3-5)(-1+2)/2| = 63/2

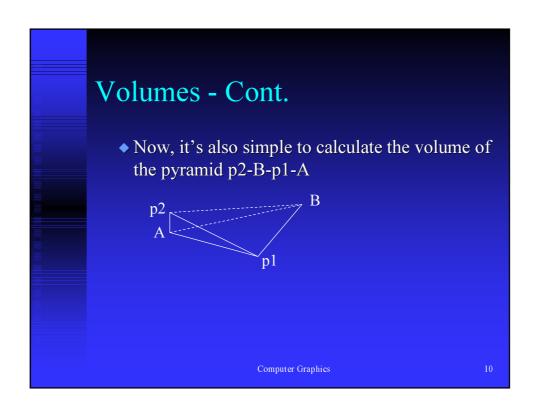
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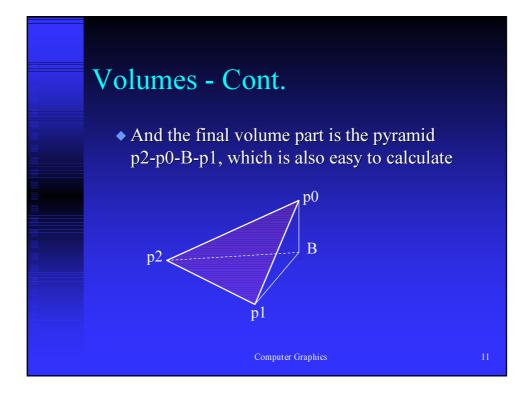


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## Volumes - Cont.

- The sum of these 3 volumes provides us with the total volume between the polygon and the X-Z plane.
  - ◆ This volume may be negative! (depending on the location of the polygon in space)
  - But hey! when do we add and when do we subtract different volumes?
    - We can use the normal of the polygon to decide whether it is facing the positive Y direction.
    - ♦ If it does We add the volume to the total sum.
    - Otherwise we subtract this volume from the total volume sum.

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