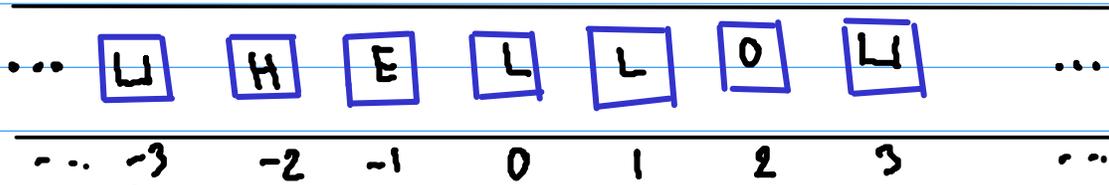


5.2 Turing Machines

A Turing machine သို့မဟုတ်

a) tape သို့မဟုတ် အမှတ်တံဆိပ် (ကတ်ပြား / ကတ်ပြား)

ကို စီစဉ်ထားပြီး squares များဖြင့် ဖွဲ့စည်းထားသည်။
အမှတ် 5.2.1



ပုံ 5.2.1 : A Turing machine tape

ဤစီစဉ်ချက် square တစ်ခုစီကို symbol (a single character) on Alphabet (character set) ကို machine recognizes

i.e. ကိုယ်တိုင်အသုံးပြု Alphabet များမှာ '0', '1' နှင့် '␣' blank

b) a tape head ကို အသုံးပြု၍ reading a symbol on a square မှတစ်ဆင့် tape မှ အသုံးပြု၍ writing a symbol မှတစ်ဆင့် square မှတစ်ဆင့် moving လုပ်ဆောင်နိုင်ခြင်းကို ဖော်ပြပါ

square input for moving, etc. Square output
machine from the machine

c) a finite list of states that is the machine
state to state and the states inside

The states that are the machine is:

- state (regular states): q_1, \dots, q_n

and:

- special states:

q_0 : the initial state

q_y : the final state for a problem
that is the answer 'yes'

q_n : the final state for a problem
that is the answer 'no'

d) a program (or program module) that is the machine

machine that is the machine and the machine

the program module that is the machine
state q (that is q_y or q_n)

and: symbol that is the tape is 'symbol' and the

hardware ၁၁၁.၁၁၁၁၁၁၁ software

ကျွန်ုပ်တို့ programmer မှလွှဲ၍ ၁ programme

ကိရိယာ ၁ Turing machine ကို သတ်မှတ် machine

ကို minimi state မှာ အတိုဆုံး state ကို ရွေးချယ်

(5.2.1)

A Turing machine ကို သတ်မှတ် ၁ table ကို ပြုစု

pair (state, symbol) machine ၁: သတ်မှတ် တွက်

programmer ပြုစု ပြန်လည် newstate ၁၁၁: new symbol မှာ အတိုဆုံး

increment

ကျွန်ုပ်တို့ မှာ Turing machine ၁: သတ်မှတ်

၁ word input string $w \in A^*$ ကို A^* ကို သတ်မှတ်

word ကို length $|w|$ B w q_0 q_1 q_2 \dots q_n

၁ word solve w ကို write w q_1 squares $1, 2, \dots, B$

၁ word tape w tape head q_0 q_1 q_2 \dots q_n 1 q_1 squares

၁ word machine q_0 put into state q_0 q_1

program module is programmer taking input and
the set of instructions. In this

machine is symbol square 1 and state q_0 .
state q_0 is the symbol in machine is consult
the program module and return the result

machine program is write a new symbol in
square 1 and move head to tape and square 0
and square 2 and the new state q'
and the machine
is the state q_0 to state q_n and state q'

machine is the decision problem
i.e. Yes / No

M.V. is a Turing machine is the
Turing machine - Pascal simulation is a Turing machine
The program is the structure

The procedure `turmach` ក្រសួងទទួល input
 a string $w \in A \cup \{\sqcup\}^B$ គឺជា output លើ set លើ
 Boolean variable i.e. `accept` លើ Boolean variable
 ក្នុង output ៖ ស្ថានភាព state លើ Q គឺជា `accept` លើ True , `accept` លើ False)

ក្នុងនេះ យើង ឃើញ ទ្រង់ ទ្រង់ គឺជា hardware part លើ
 Turing machine

Procedure `gonextto` លើ program module លើ
 machine គឺជា ឃើញ ទ្រង់ គឺជា hardware part លើ
 ក្នុង `solve` ក្នុង input លើ `gonextto` លើ `state`
 state លើ `input` លើ machine គឺជា symbol ក្នុង `input` លើ tape
 ក្នុង outputs លើ `state` , `new symbol` , `increment`
 position ក្នុង tape head ៖ write new symbol លើ
 current square ក្នុង increment (± 1)

Procedure **turmach** (B : integer; x : array [1.. B]; accept: Boolean);
{ simulates Turing machine action on input string x

 array B {
 { write input string on tape over B squares initially
 square 1 to square B }

for square := 1 to B do

 tape[square] := x [square];

 { until you can no longer write on tape }

 state := 0; square := 1;

 while state \neq 'Y' ^{q_Y} and state \neq 'N' ^{q_N} do
 { read symbol on current tape square }

 if square < leftmost and square > rightmost

 then symbol := 'L'

 else symbol := tape[square]

 { ask program module for state transition }

 goto nextto(state, symbol, new state, new symbol, increment);

```

state := newstate;
{update datum i: write new symbol}
if square > rightmost then leftmost := square;
tape[square] := new symbol;
{move tape head}
square := square + increment;
end; {while}
accept := {state = 'y', state = 'n'}
end. {turmach}

```

5.3 Cook's Theorem

NP-complete problems into hardest problem γ

NP into α in α' into decision problem γ in NP

no: α into an NP-complete problem no: instance

γ in α' into polynomially reducible no instance

no α

It is an NP-complete problem that is the key to polynomial time solvability for any single problem in the class

NP is the class of discrete structure like graph, networks, games, optimization problem, algebraic structures, formal logic, etc.

It is the **satisfiability problem**, the first problem that is NP-complete by Stephen Cook in 1971

It is a list of Boolean variable x_1, \dots, x_n
Let $X = \{x_1, \dots, x_n\}$ where $x_i = \text{true}$ or False or $\text{not } x_i$

Let A literal is x_i or \bar{x}_i where $x_i \in X$

possible literal is x_i or \bar{x}_i

Let A clause consist a set of literals

$$L = X \cup \{\bar{x} : x \in X\}$$

Let γ be an assignment of truth values to variables

Let $\gamma(x)$ be the truth value of x

Let $\gamma(L)$ be the truth value of the clause L

Let $\gamma(L) = 1$ if and only if L is true

A clause is true if at least one of

literals in the clause is true. If $\gamma(L) = 0$

then the clause is false

Def A set of clauses is **satisfiable**

if there is an assignment of truth values to variables

such that every clause is true

The satisfiability problem (SAT)

Given a set of clauses, determine if there is a set of

truth values ($= T$ or F), such that every clause is true. Variable

